

relation R and returns a set of sum individuals, where each individual is a sum of the first and second elements of the pairs in R (6), with p variable over pairs, and π_1 a function that returns the first element of a pair.

$$5) R_p = \{p \mid p \in R \ \& \ P(\pi_1(p))\}$$

$$6) \text{FLAT}(R) = \{x \oplus y \mid \langle x, y \rangle \in R\}$$

Finally, I extract a set from its characteristic function, and define the *association set* of a predicate P , written $\text{ASET}(P)$, as the union of P *qua* set and the cumulative closure of $\text{FLAT}(f(\text{SOCREL})P)$, using Link's (1983) $*$ operator.

$$7) \text{extract}(P) = \{x \mid P(x) = 1\}$$

$$8) \text{ASET}(P) = \text{extract}(P) \cup * \text{FLAT}(f(\text{SOCREL})_P)$$

I now present my analysis of *-tachi* in (9). *-tachi* takes a predicate P of type $\langle e, t \rangle$, predicates an individual of the association set of P , and requires that that individual be non-atomic.

$$9) \llbracket -tachi \rrbracket = \lambda P. \lambda X. \text{ASET}(P)(X) \ \& \ \neg \text{atom}(X)$$

Definites combine with *-tachi* via Partee's (1987) IDENT . Extracting the underlying set from this function will produce a singleton set containing just Taro/Taro and Hanako.

$$10) \text{IDENT}(x) = \lambda y. y = x$$

$$11) \llbracket \text{Taro-tachi} \rrbracket = \lambda X. \text{ASET}(\lambda y. y = \text{Taro})(X) \ \& \ \neg \text{atom}(X)$$

When *-tachi* combines with a name, it will produce a set of individuals containing Taro, as well as sums of Taro and his associates. The non-atomic condition excludes Taro, leaving only sums of Taro with his associates. This can then be converted into an individual by Partee's IOTA shifter, as in Nakanishi & Tomioka's analysis. We thus only expect strong non-homogeneity with associatives formed from singular definites. On the other hand, when combining with a sum individual like *Taro to Hanako* or with a number-neutral predicate like *kyooju*, *-tachi* does not exclude the sum individual composed of Taro and Hanako, nor does it exclude sums of professors. In these cases, we predict that associatives formed from these kinds of expressions are compatible with Tatsumi's additive and associative contexts. Furthermore, treating names as common nouns that are shifted to individuals (Muñoz 2019, a.o.) accounts for Tatsumi's "additive" reading with names, where *Taro-tachi* may refer to a group of people named Taro.

$$12) \llbracket \text{Taro-tachi} \rrbracket = \lambda X. \text{ASET}(\lambda y. * \text{Taro}(y))(X) \ \& \ \neg \text{atom}(X)$$

Finally, by making explicit use of *social relations* in the semantics of associatives, the analysis makes the correct prediction that associative plurals like *-tachi* are only acceptable with expressions denoting (sets of) *animate* entities (Moravcsik 2003). This is because inanimate objects, such as books, do not stand in social relations, unlike humans and other animals.

Plural Pronoun Constructions: A recurring idea in the typological and syntactic literatures is that associatives have a connection with *inclusive* readings of plural personal pronouns in some languages (Moravcsik 2003; Yuan 2017). In these *plural pronoun constructions*, a first-person plural pronoun on its own will be interpreted as a plurality containing the speaker, but one appearing with a comitative phrase may be interpreted as containing only the speaker and the individual denoted by the comitative. (13) gives Russian examples (Vassilieva & Larson 2005).

13) a. My pojdēm domoj
we go-FUT home
'We will go home.'

b. My s Petej pojdēm domoj
we with Peter-INST go-FUT home
'Peter and I/we and Peter will go home.'

This can be analyzed by decomposing the plural pronoun into an individual corresponding to the speaker and an associative head, with distinct structural positions in the syntax. The comitative is treated as a function taking its complement and the speaker as an argument and producing their sum, which serves as input to the associative morpheme. When the comitative phrase is absent, the associative acts as a choice function f picking a non-atomic individual from the association set of the speaker, thereby requiring that the pronoun refer to a sum individual containing the

speaker. When the comitative phrase is present, the sum individual containing only the speaker and the individual in the comitative phrase may be selected.

$$14) \llbracket my \rrbracket = \llbracket \text{ASSOC}(\lambda y.y = \text{speaker}) \rrbracket = f(\lambda X.\text{ASET}(\lambda y.y = \text{speaker})(X) \ \& \ \neg \text{atom}(X))$$

$$15) \llbracket my \ s \ \text{Petelj} \rrbracket = \llbracket \text{ASSOC}(\lambda y.y = \text{speaker} \oplus \text{Petelj}) \rrbracket$$